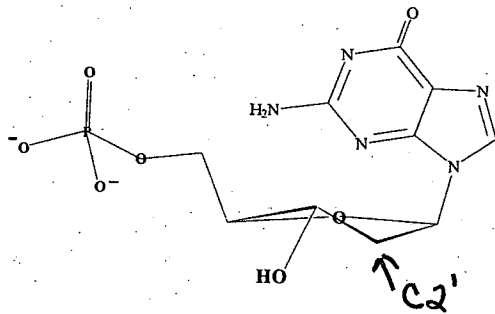
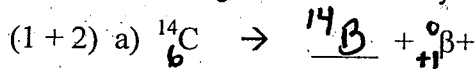


1. Consider the following nucleotide:  
(1)



- a) Name the nucleotide dGMP
- b) What is the conformation of the nucleoside?  
Syn
- c) What is the sugar pucker illustrated?  
C2' exo (C3' endo)

2. Balance the following radioactive decay equation by filling in the blank with the missing item.



b) I-131 has a half-life of 8.02 days. If a patient is injected with 4.5 milliCuries on a Monday morning, how many days will it take for the activity to decrease to less than 0.1 milliCuries?

$A = A_0 e^{-kt}$ ;  $k = \frac{\ln 2}{t_{1/2}} = 0.0864 \text{ d}^{-1}$ ;  $0.1 = 4.5 e^{-0.0864 \cdot t}$   $t = 44 \text{ days}$   
 $\ln(0.1/4.5) = -0.0864 \cdot t$

3. SDS gels are greatly improved in resolution by running a "stacking" gel and a "resolving" or "running" gel.

a) Name two key property differences between the "stacking" gel and the "resolving" gel that contribute to the improved resolution of running DISC PAGE.

- (1) i) % acrylamide: lower % in stacking gel, higher % in running gel  
 ii) buffer pH: pH ~ 6.9 in stacking gel (gly ~ 0) vs. 8.9 in running gel

b) What is the role of each of the following in performing SDS-PAGE?

- (1) i) Dithiothreitol: - reducing agent used to reduce disulfide bonds  
 ii) N,N'-methylene-bis-acrylamide: - cross-linker for linking linear polyacrylamide chains

4. The equation of motion for a small, spherical particle of mass (m) and frictional coefficient (f) that is initially at rest, and then acted on by a constant force (F) at time t = 0 is  $F - fv = ma$ .

(From calculus recall that  $F - fv = m(dv/dt)$  solves to  $v = (F/f) [1 - \exp(-ft/m)]$ .)

a) Show that such a particle will initially accelerate but over time will approach a "maximal" velocity.

(1)  $v = \frac{F}{f} (1 - e^{-f \cdot t/m}) \Rightarrow \text{as } t \rightarrow \infty; v = v_{\text{max}} = F/f$

b) Now consider protein molecule that is assumed to be spherical with a diameter of 90Å, a density of 1.35 g/cm<sup>3</sup> and a v-bar of 0.73 cm<sup>3</sup>/g.

i) Calculate the time in seconds for such a particle to reach 98% of its maximal velocity after being subjected to the force F.

(2)  $\text{mass} = \text{vol.} \times \rho = \frac{4}{3} \pi r^3 \cdot \rho = 5.1 \cdot 10^{-19} \text{ g}$   
 $f = 6 \pi \eta \cdot R = 8.48 \cdot 10^{-8} \text{ g/s}$   
 $\frac{v}{v_{\text{max}}} = 0.98 = (1 - e^{-f \cdot t/m}) \rightarrow e^{-f \cdot t/m} = 0.02$   
 $t = 2.3 \cdot 10^{-11} \text{ s}$

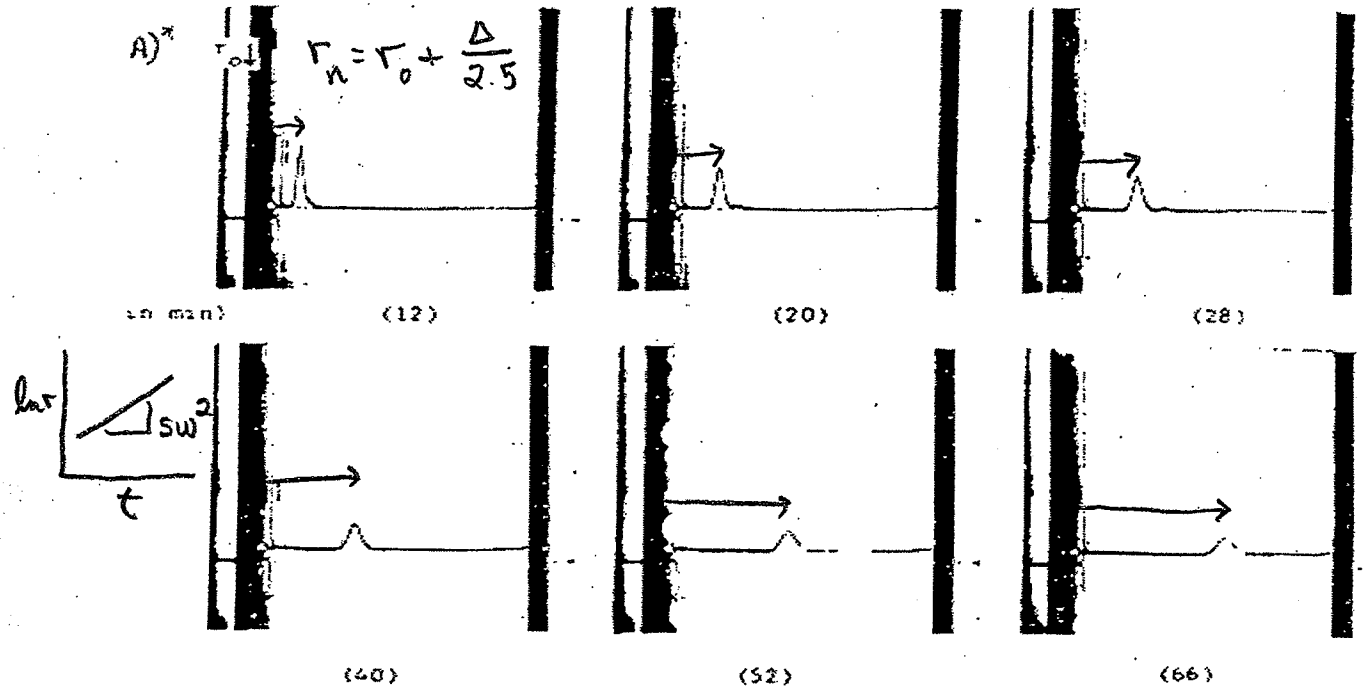
ii) If the diffusion constant for this protein is determined to be  $0.185 \times 10^{-6} \text{ cm}^2/\text{s}$  with  $T = 20^\circ \text{C}$ , and  $\eta = 0.01 \text{ (g/cm-s)}$ , calculate the frictional coefficient ratio ( $f/f_{\text{min}}$ ) for this protein and comment on whether our assumption that this is a spherical protein molecule was correct or not.

(2)  $f_{\text{exp}} = \frac{k \cdot T}{D} = \frac{R \cdot T}{N \cdot D} = \frac{8.314 \cdot 10^7 \text{ g-cm}^2}{(6.02 \cdot 10^{23}/\text{m}) (0.185 \cdot 10^{-6} \text{ cm}^2/\text{sec})} (293\text{K})$   
 $f_{\text{exp}} = 2.19 \cdot 10^{-7} \text{ g/sec}$   
 $\frac{f_{\text{exp}}}{f_{\text{min}}} = \frac{2.19 \cdot 10^{-8} \text{ g/s}}{8.48 \cdot 10^{-8} \text{ g/s}} = 2.58$   
 $\rightarrow \text{not spherical}$

5. Determine the sedimentation coefficient (s) and molecular weight (M) for the sample that gave the following data when subjected to: A) a sedimentation velocity run using Schlieren optics, and B) a sedimentation equilibrium run using interference optics.

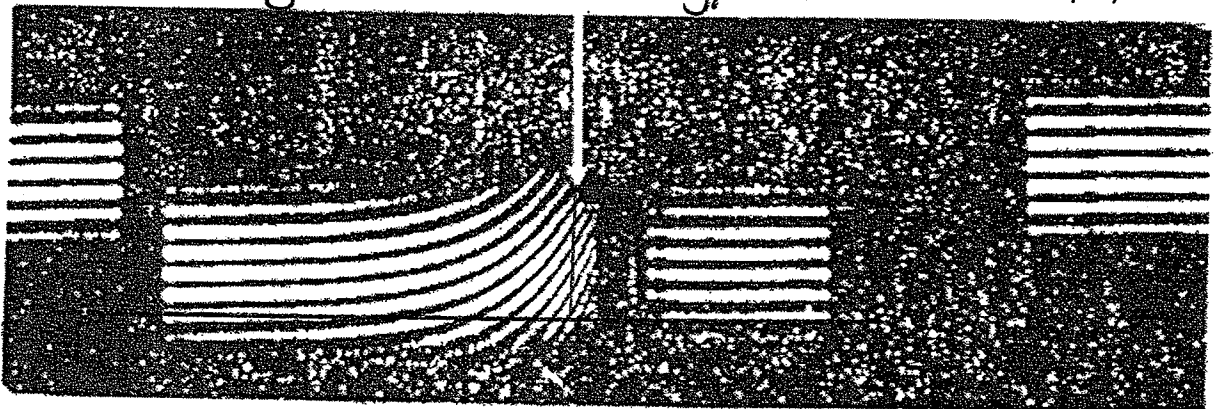
Note: the figures below have been magnified to allow you to make measurements from the figures. The "r" can be determined from the reference points (r<sub>0</sub>) and the magnification factors. Assume T = 20° C, density of buffer = 0.9978 g/mL, and v-bar = 0.737 cm<sup>3</sup>/g for the protein, and η = 0.01 (g/cm-s) for both experiments.

A) Sed. Vel.: ω = 40,000 rpm, magnification factor (2.5X), r<sub>0</sub> = 5.72 cm. (times are given in minutes).  
 (4) Report "s" in proper units [ s = 19 · 10<sup>-13</sup> s or 19S ] (Show work and attach plot).



B) Sed Equilibrium: ω = 5200 rpm, magnification factor (25X), r<sub>0</sub> = 6.75 cm. Calculate M in g/mol (4pts) and also estimate the concentration of the protein at the position with the white arrow (1 pts). Assume the cell path length to be 12.00 mm, λ = 546 nm, and (dn/dc = 0.186 (g/cm<sup>3</sup>)<sup>-1</sup>).

[ M = 1.0 · 10<sup>6</sup> g/mol ; [ ]<sub>arrow</sub> = ~1.4 mg/mL ] (Show work and attach plot).



$\ln r$  vs  $t$  graph with slope  $s\omega^2$ .  
 $\text{slope} = \frac{M(1-\bar{v}\rho)\omega^2}{2R \cdot T}$   
 $c \text{ or } \Delta c = \frac{\Delta J \cdot \lambda}{a \cdot R} \sim 1.4 \frac{\text{mg}}{\text{mL}}$  at arrow

I hereby declare that I did this assignment independently: \_\_\_\_\_